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Author(s):	Liu, Xu Chen, Lunjin Jordanova, Vania Koleva Engel, Miles A.
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# Global Simulation of Electron Cyclotron Harmonic Wave Instability in a Storm-time Magnetosphere

Xu Liu<sup>1</sup>, Lunjin Chen<sup>1</sup>, Vania K. Jordanova<sup>2</sup>, Miles A. Engel<sup>2</sup>

<sup>1</sup> William B. Hanson Center For Space Science, University of Texas at Dallas,  
Richardson, TX, USA, 75080

<sup>2</sup>Los Alamos National Laboratory, Los Alamos, NM

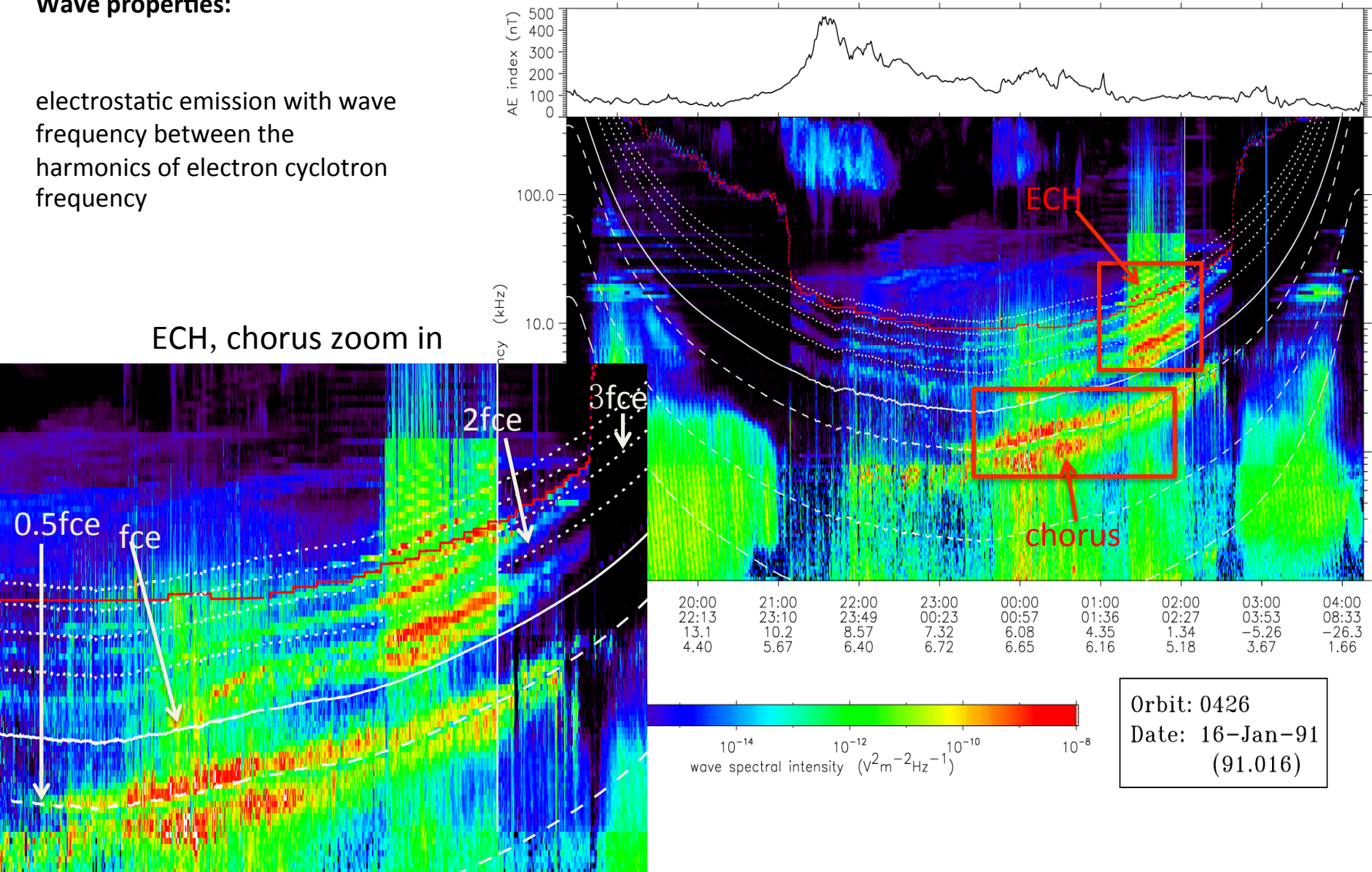
07/26/2018

# Introduction: ECH

## Wave properties:

electrostatic emission with wave frequency between the harmonics of electron cyclotron frequency

ECH, chorus zoom in



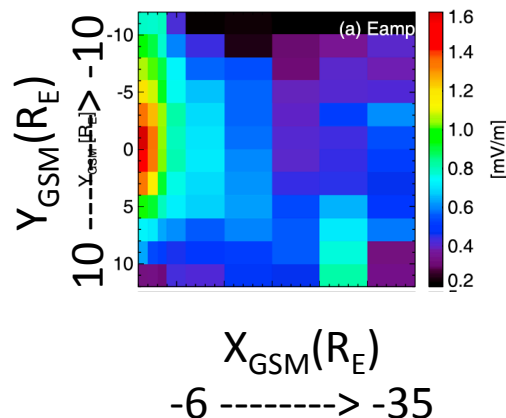
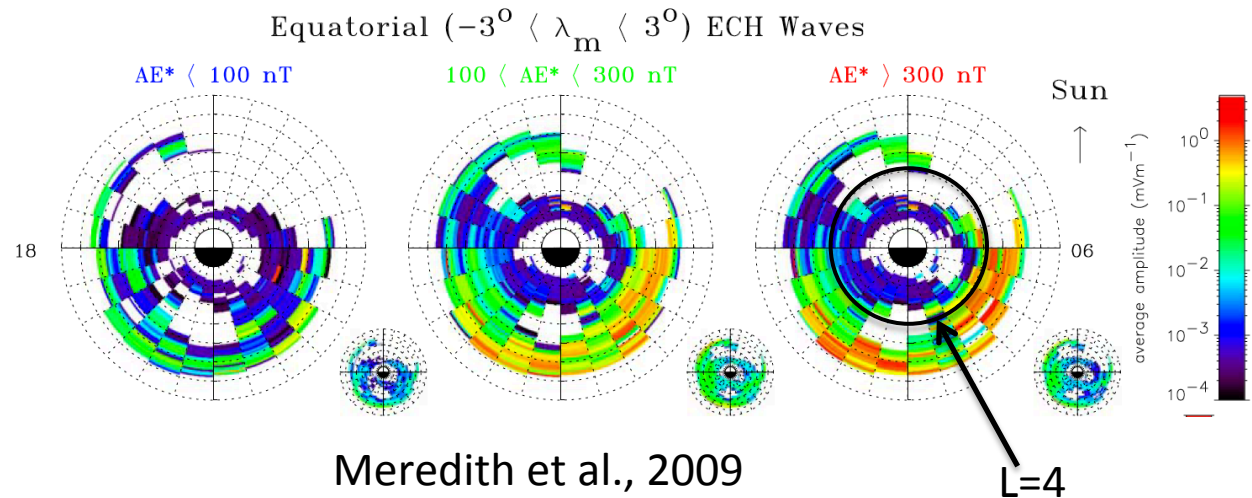
# Introduction: ECH

## Wave properties:

electrostatic emission with wave frequency between the harmonics of electron cyclotron frequency

at the nightside within  $\sim 6$  degrees of the magnetic equator over  $4 < L < 10$  ( $\sim$  mV/m) [Meredith et al., 2009; Ni et al., 2011, 2017] and extended  $L \sim 35$  in the magnetotail region ( $\sim$  tenth mV/m) [Zhang et al., 2015]

- MLT dependence
- L dependence
- Geo-activity dependence



ECH magnitude

Zhang et al., 2015

# Introduction: ECH

## Wave properties:

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## Excitation:

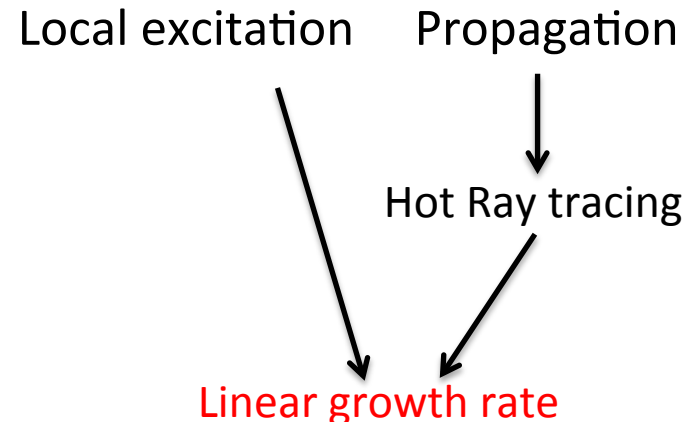
Loss cone distribution [Ashour-Abdalla and Kennel, 1978]

Fast flow-driven dipolarization and electron injection from the magnetotail [Liang et al., 2011]

## Question:

How to explain the observation?

- MLT dependence
- L dependence
- Geo-activity dependence



# Method: linear growth rate

Hot plasma dispersion relation for electrostatic mode

PSD  $\rightarrow$  wave frequency and linear growth rate

$$D(\omega) = 1 + \sum_s \sum_n \frac{\omega_{ps}^2}{k^2} \int d^3v \frac{J_n^2\left(\frac{k_\perp v_\perp}{\Omega_s}\right)}{\omega - k_\parallel v_\parallel - n\Omega_s} \left( \frac{n\Omega_s}{v_\perp} \frac{\partial f_s}{\partial v_\perp} + k_\parallel \frac{\partial f_s}{\partial v_\parallel} \right) = 0$$

Simplify phase space density

$$f_s = f_{s0} + f_{s1}$$

$\omega = \omega_0 + \omega_1$   
complex wave frequency

bi-Maxwellians

Tenuous and arbitrary

Wave frequency and linear growth rate

$$D_0(\omega_0) = 1 + \sum_n \sum_s \sum_j 2 \frac{\omega_{ps}^2}{k^2} e^{-\lambda_{s,j}} I_n(\lambda_{s,j}) \left( \left( \frac{n\Omega_s}{k_\parallel a_{s,\parallel j}} + \frac{z_{s,nj}}{a_{s,\parallel j}^2} \right) Z(z_{s,nj}) + \frac{1}{a_{s,\parallel j}^2} \right) = 0$$

$$\omega_i \approx \omega_{0i} + \text{Re} \left[ -\frac{\text{Im}[D_1(\omega_{0r})]}{\frac{\partial D_0}{\partial \omega} \big|_{\omega=\omega_0}} \right] \quad \text{Im}[D_1(\omega_{0r})] = - \sum_s \sum_n \frac{\omega_{ps}^2}{k^2} \int_0^\infty 2\pi^2 v_\perp dv_\perp \frac{J_n^2}{|k_\parallel|} \left( \frac{n\Omega_s}{v_\perp} \frac{\partial f_{s1}}{\partial v_\perp} + k_\parallel \frac{\partial f_{s1}}{\partial v_\parallel} \right) \bigg|_{v_\parallel = \frac{\omega_{0r} - n\Omega_s}{k_\parallel}}$$

$$f_{s0} = \sum_j \frac{N_{s,j}}{\pi^{3/2} a_{s,\perp j}^2 a_{s,\parallel j}} \exp \left( -\frac{(v_\parallel - v_{s,dj})^2}{a_{s,\parallel j}^2} \right) \exp \left( -\frac{v_\perp^2}{a_{s,\perp j}^2} \right)$$

Wave frequency:  $\text{Re}[\omega_0]$

Linear growth rate:  $\omega_i$

$\omega_i > 0$  : wave growth

$\omega_i < 0$  : wave damped

# Method: RAM-SCB model

## RAM-SCB model

Global energetic electron

- MLT: 0 to 24
- L: 2 to 6.6
- Energy: 120 eV to 426.65 keV
- Pitch angle: 0 to 180 deg
- Time dependent

Ring current-atmosphere interactions model (RAM)

[Jordanova et al., 1994, 2006, 2016]

- Kinetic equation for  $H^+$ ,  $O^+$ , and  $He^+$  ions and electrons
- Including all major loss processes
- Convection and corotation E-field (supplied)
- Updated to general B field
- Coupled with a plasmasphere model

Pressure



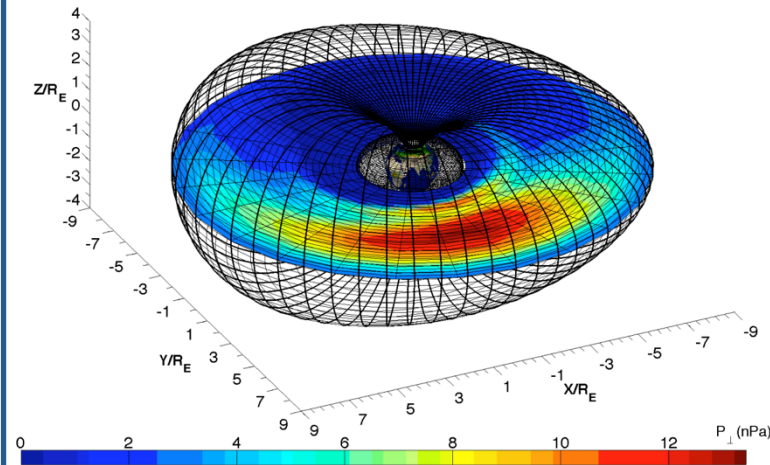
B-field



3D magnetic field model

[Cheng, 1995; Zaharia et al., 2004; 2010]

$$\mathbf{J} \times \mathbf{B} - \nabla \cdot \mathbf{P} = 0$$



- B-field boundary conditions from empirical or other global models



# Method: Step

1. Finding energetic electron phase space density from RAM-SCB model

2. Fitting energetic electron phase space density to find  $f_{s0}$  and  $f_{s1}$   $f_s = f_{s0} + f_{s1}$

3. Using linear growth rate formula to find wave frequency and linear growth rate

Simulation period

2013/03/16 to 2013/03/19  
(a big Geo-storm)

Solar B, nT

Kp

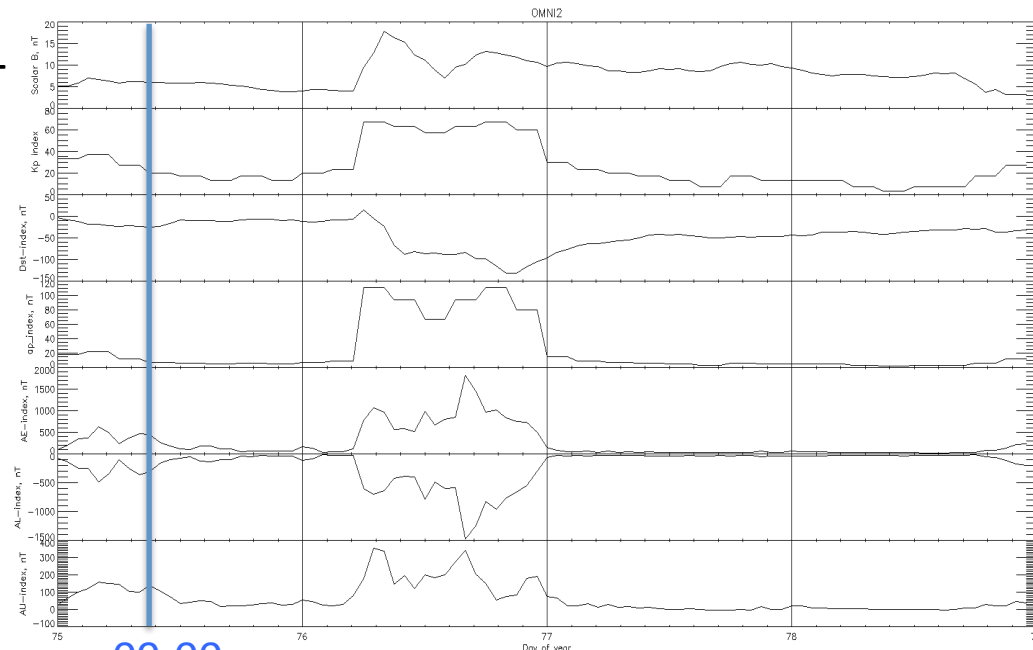
Dst

Ap

AE

AL

AU



Day: 16 09:00

17

18

19

# Example

## Phase space density

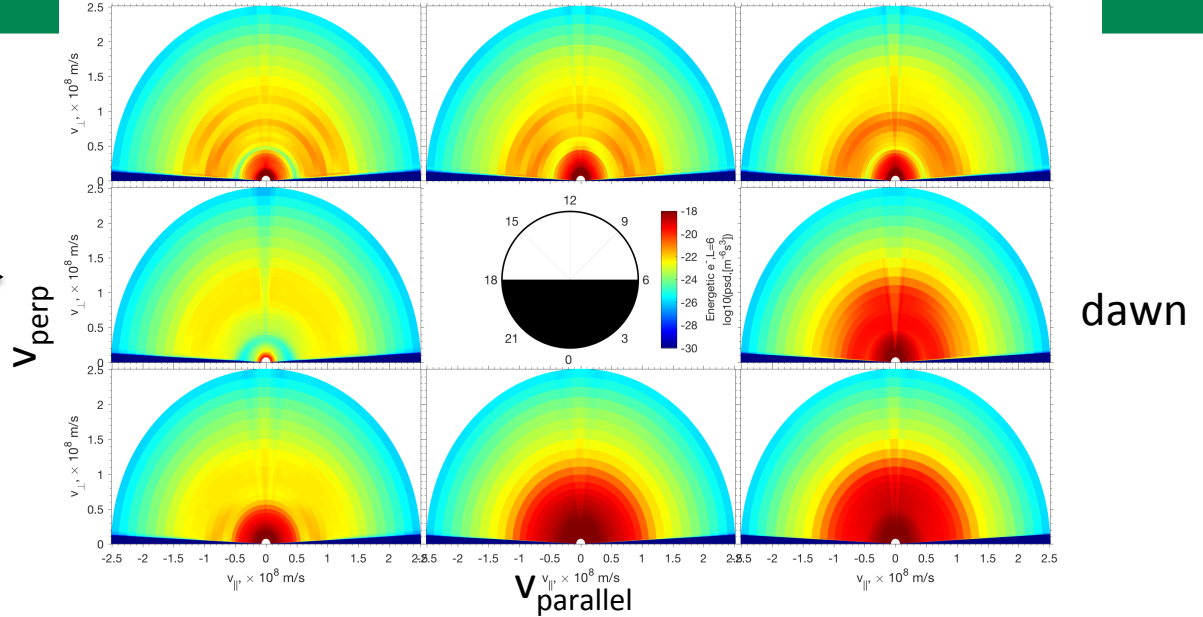
2013/03/16 09:00:00

$L=6$

$f = \text{PSD from RAM-SCB}$

dusk

Step 1



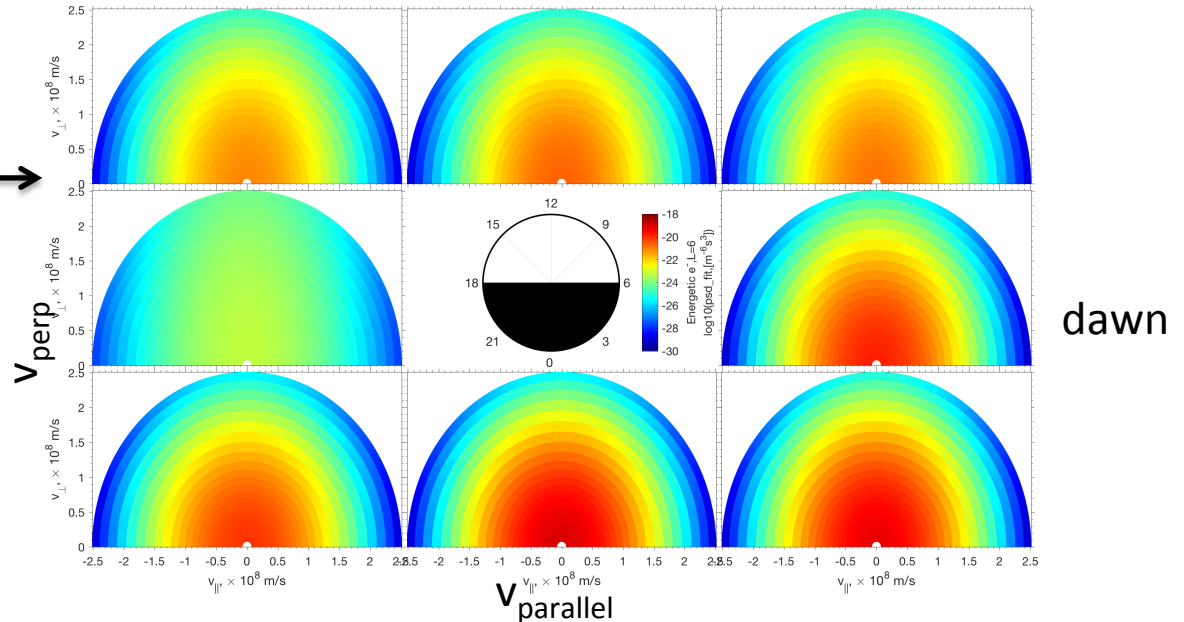
$f_0 = \text{PSD from Bi-Maxwellians}$

Step 2

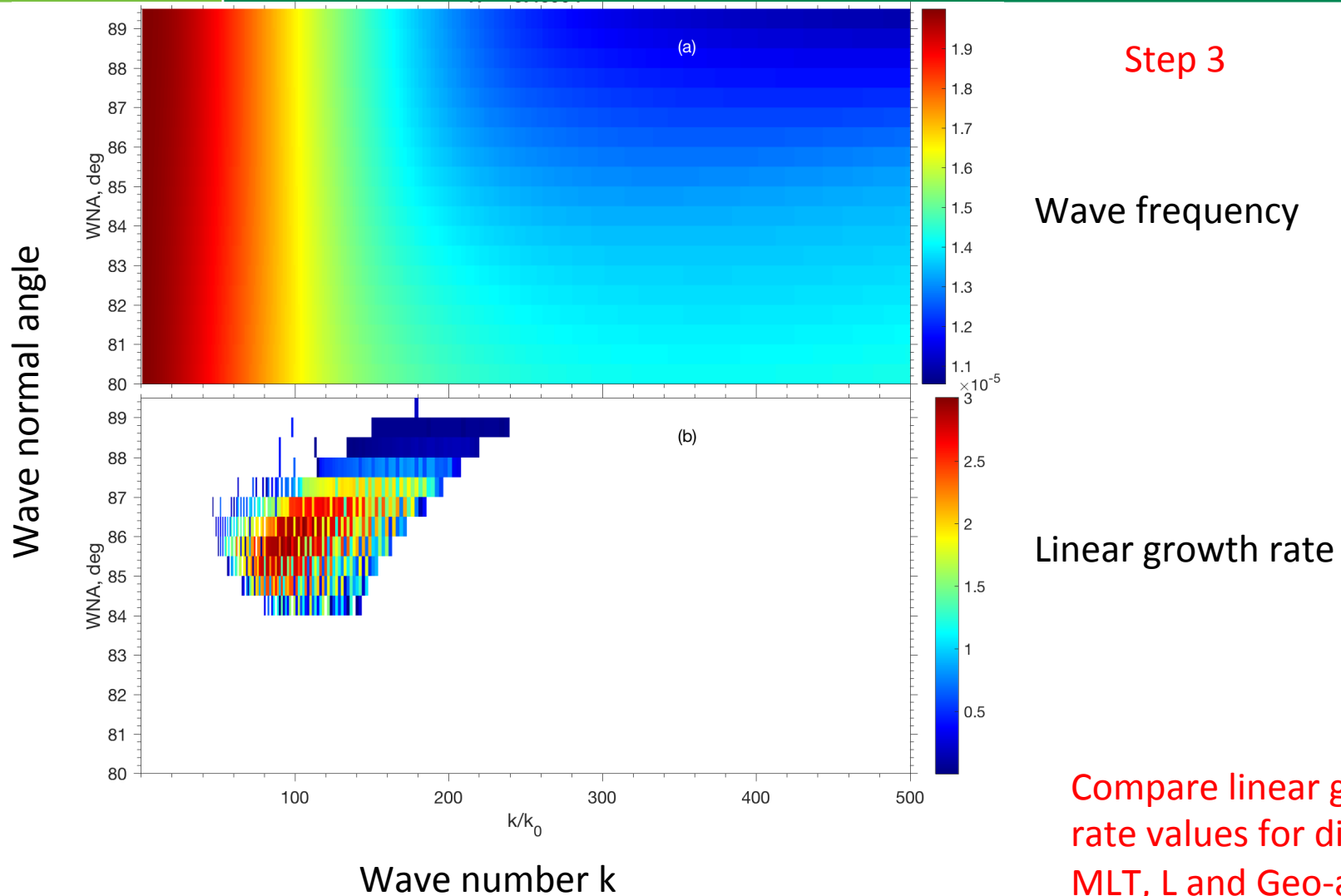
dusk

$f_1 = f - f_0$

Cold electron: 1 eV, isotropic

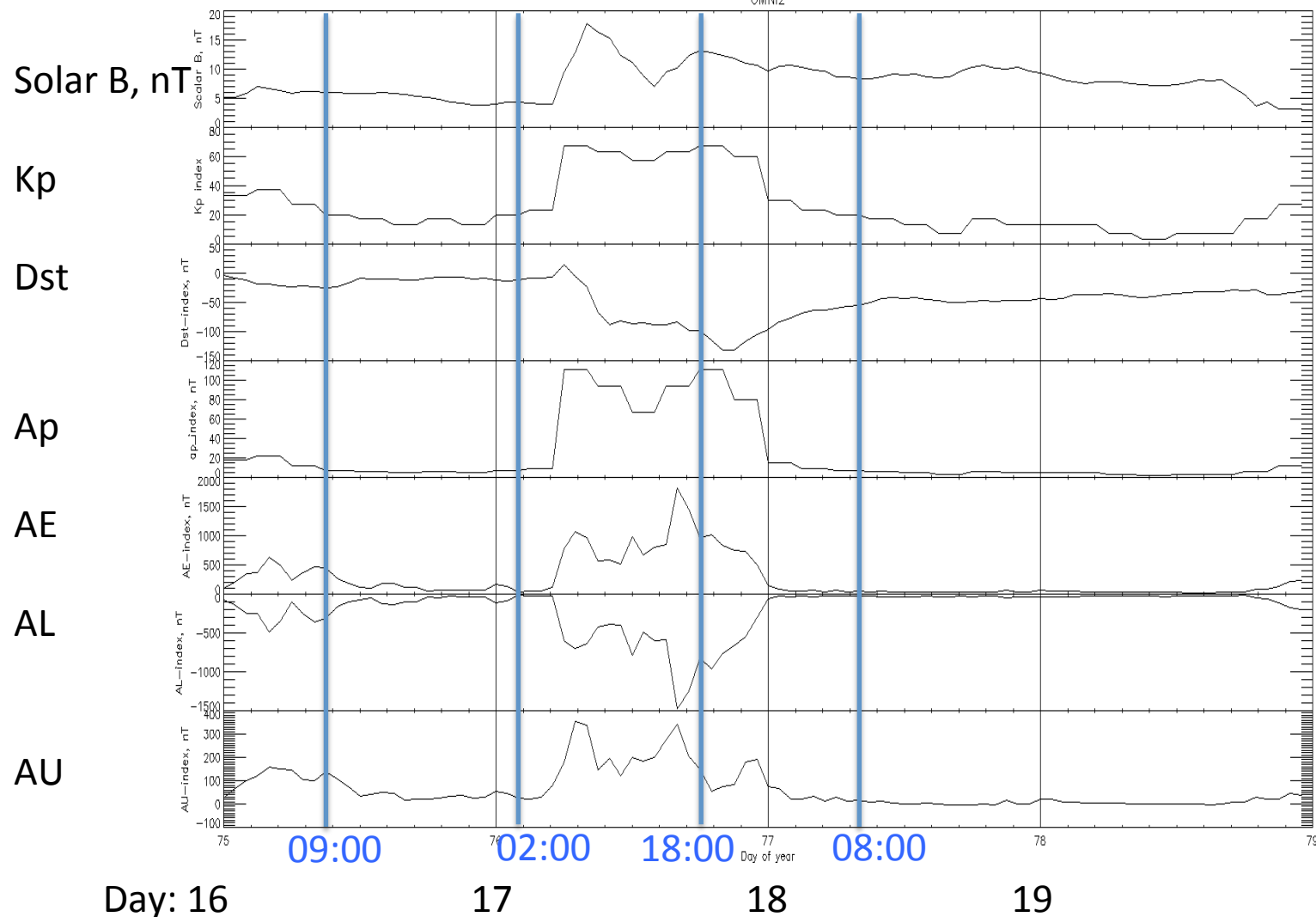


# Example



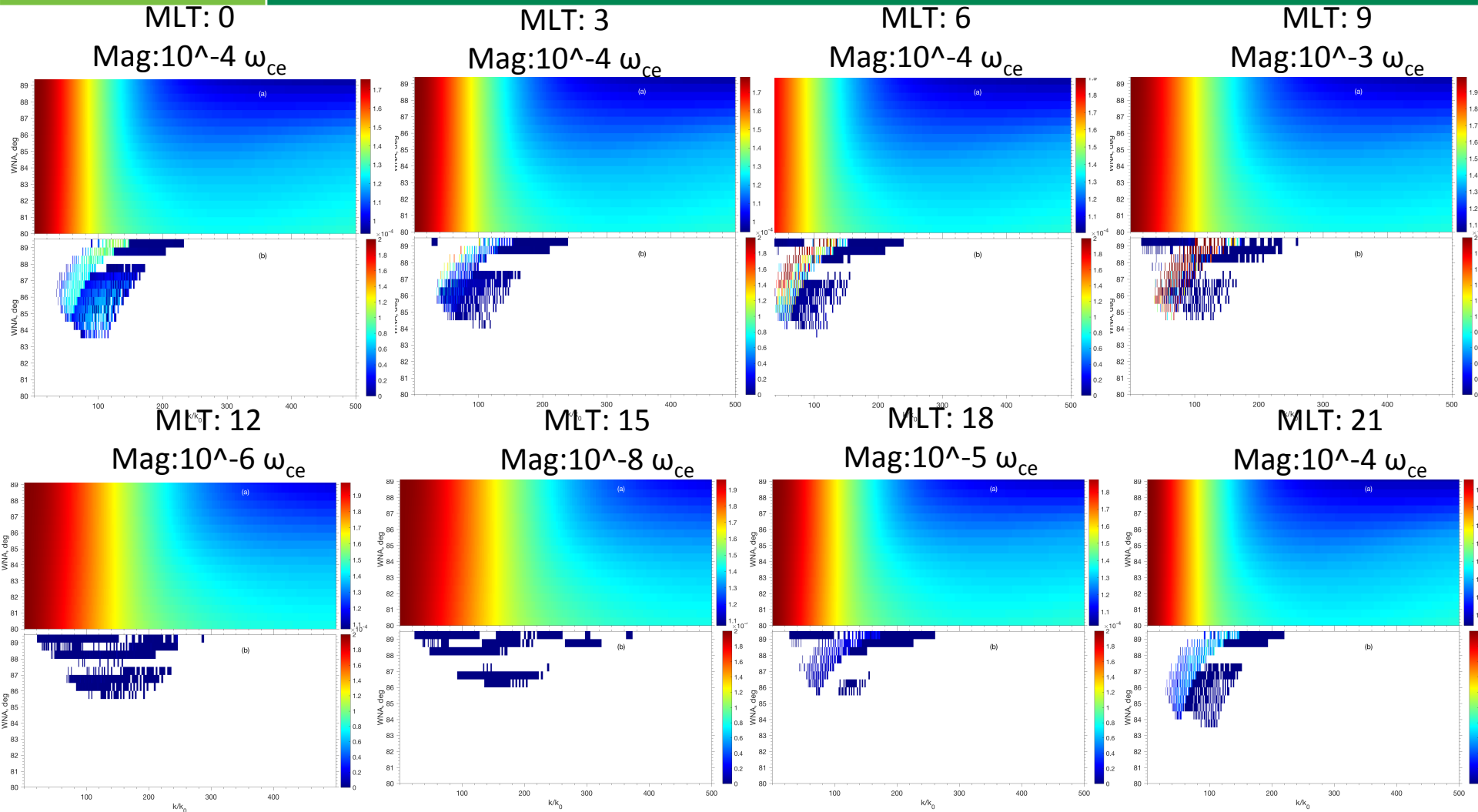
2013/03/16 to 2013/03/19  
(GEM event)

Weak      Pre-storm      Main Phase      Recovery Phase



- MLT dependence
- L dependence
- Geo-activity dependence

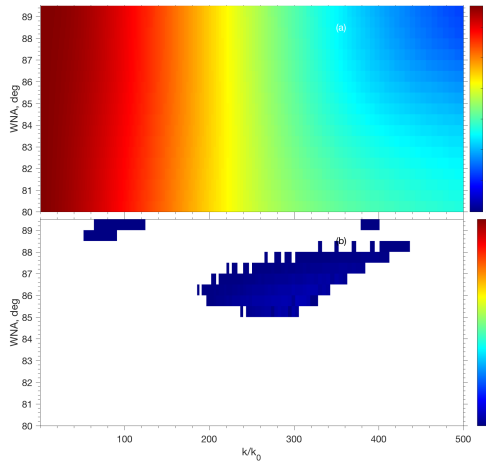
# MLT effect (Main Phase, L=5)



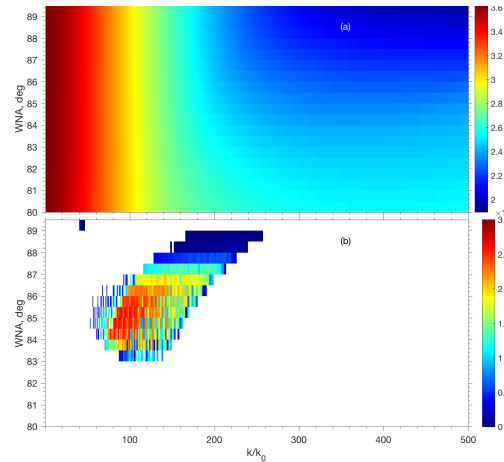
Instability is strong at nightside and dawnside, and is weak at dayside and duskside

# L effect (weak activity)

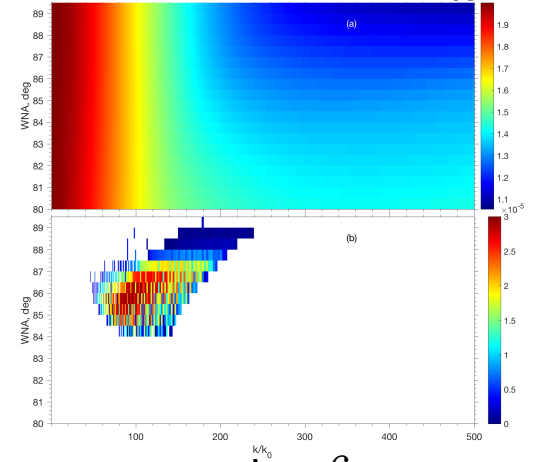
$L = 4$   
Mag:  $10^{-6} \omega_{ce}$



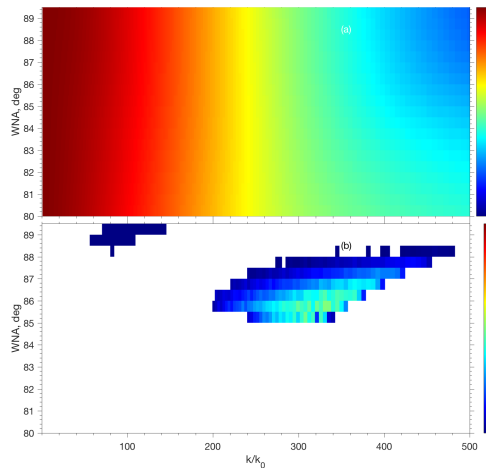
$L = 5$   
Mag:  $2.5 \times 10^{-5} \omega_{ce}$



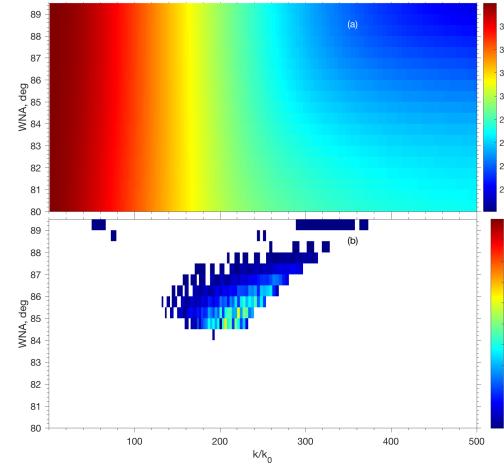
$L = 6$   
Mag:  $3 \times 10^{-5} \omega_{ce}$



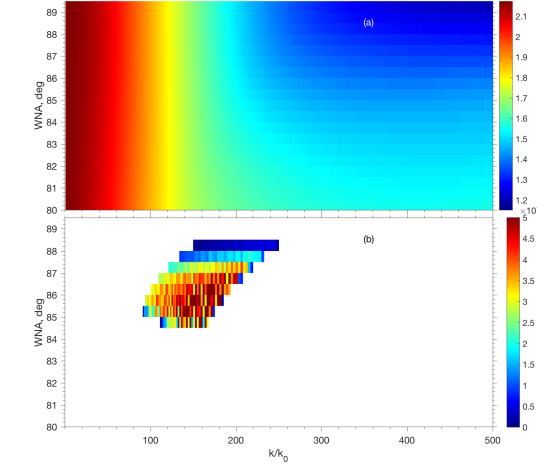
$L = 4$   
Mag:  $2 \times 10^{-6} \omega_{ce}$



$L = 5$   
Mag:  $3 \times 10^{-6} \omega_{ce}$



$L = 6$   
Mag:  $7 \times 10^{-6} \omega_{ce}$



Instability is weak for small L

# Geo-activity effect

## Linear growth rate comparison for different geo-activity

MLT=0 : Main > Recovery > Weak > Pre-storm

MLT=3 : Main > Weak > Pre-storm > Recovery

MLT=6 : Main > Weak > Pre-storm > Recovery

MLT=9 : Main > Weak > Pre-storm > Recovery

Main Phase > Weak activity > Pre-storm > Recovery Phase

averaged AE of previous 3 hours: 1416 > 418 > 113 > 47

Instability is stronger for larger AE index

# Conclusion

The global linear growth rate of Electron Cyclotron Harmonic (ECH) wave is evaluated for a selected geo-storm event by applying RAM-SCB model to the ECH linear growth rate formula. We find :

- Linear growth rate of ECH wave is strong at nightside and dawnside, and is weak at dayside and duskside.
- Linear growth rate of ECH wave is strong when  $L > 4$  and is weak when  $L < 4$
- Linear growth rate of ECH wave is strong for strong geo-activities
- All the instability analyses are consistent with the observation for ECH waves

2<sup>nd</sup> band ECH has similar results